

# Integrative RNA modeling

## Structure Probing

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# Experimental Structure Determination

High resolution structure determination

- X-ray Crystallography – requires crystals
- NMR spectroscopy – small RNAs only
- Cryo-EM – best for large RNA-protein complexes
- FRET – distance between just two fluorescent probes

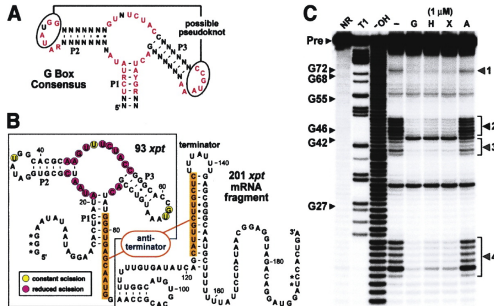
Cheap alternative:

Structure probing:

- RNA is chemically modified in a structure dependent manner
- Readout via sequencing modified RNA

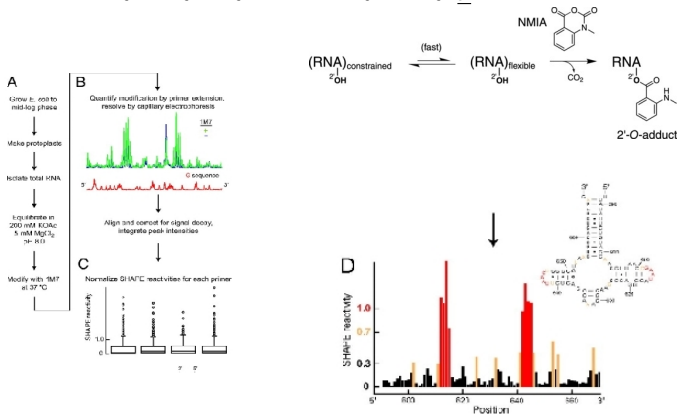
# In-line probing

- Chain breaks happen spontaneously at room temperature
- Break points mostly in unpaired regions
- → structure dependent cleavage
- Can be accelerated by adding lead



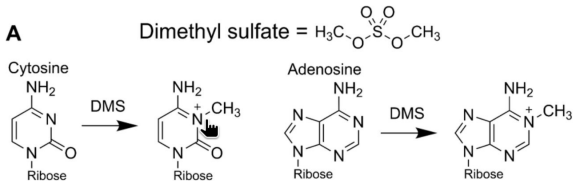
# SHAPE Probing

## Selective 2'-hydroxyl acylation analyzed by primer extension



- Probes flexibility rather than base pairing  
paired nucleotides → C3'-endo sugar pucker → low reactivity
- Little sequence bias
- Several different reagents available (1M7, NMIA, NAI)

# DMS (Dimethyl Sulfate) Probing



- Modification on the WC edge
- Directly probes base pairing
- Mostly probes A and C, no data for G and U

# Enzymatic Methods

- Use enzymes that cleave only single strand / double stranded regions  
often a pair of single strand / double strand specific enzymes
- Typically probes only specific nucleotides
- Only sites accessible to a bulky protein
- Not usable *in vivo* (in contrast to SHAPE and DMS)

Not as widely used anymore

# How to measure Reactivity

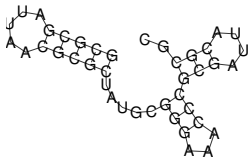
- Old-school: Gel-electrophoresis
- Modern: Readout via sequencing
  - SHAPE-Seq: Modification causes RT-stop
  - SHAPE-MaP: Modification causes mis-incorporation (mutation)

Perform experiment with and without reagent  
measure mutation (or RT-stop) frequency  $m_i$  at pos  $i$

$$\text{reactivity: } r_i = \frac{m_i^{\text{treated}} - m_i^{\text{untreated}}}{m_i^{\text{denatured}}}$$

MaP (mutational profiling) allows multiple mutations in a single read!

# Incompleteness



GCGCGAUUAACGCGCUAUGCGGGAAACCCGCGAUUACGCGC

((((((.....))))))...((((((...)))((((.....))))))

-9.30

((((((.....((((((...)))((((...)))))))).)))

-8.50

XXXXX.....XXXXX...XXXXX...XXXXXX.....XXXXX

Secondary structure is not uniquely determined by reactivity,  
even with perfect data!

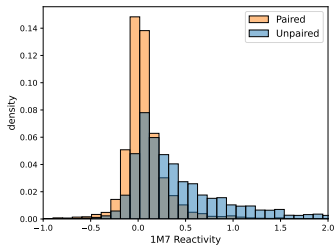


# Reactivity Distributions

How well do reactivities distinguish paired from unpaired?

# Reactivity Distributions

How well do reactivities distinguish paired from unpaired?



- Paired positions less reactive than unpaired
- Distributions overlap strongly
- Best distinction only for very large reactivities
- Negative values due to noise

# Structure Prediction with Reactivities

How can we incorporate reactivities into structure prediction?

- Sample & Select:
  - Predict candidate structures
  - Select candidate that best fits measured reactivities  
E.g. candidate  $s$  that maximizes  $P(r|s)$
- Soft constraints:
  - Derive a pseudo-energy from reactivities
  - Modifies the energy model to prefer structures that fit the data

# Deigan's Pseudo Energies

Position-dependent pseudo energy applied to stacking energies:

$$\Delta G = m \ln[1 + r_i] + b$$

- first implemented in RNAstructure
- most widely used method
- works (surprisingly) well, but ...
  - ①  $m$  and  $b$  have to be fitted by probing known structures
  - ② Why change energy for positions that are already predicted correctly?
  - ③ there is no good interpretation of the folding energies with the pseudo energies

# Zarringhalam Pseudo Energy

The Deigan pseudo-energy can make prediction worse by driving the structure ensemble *away* from measured data.

- 1 Suppose position  $i$  is predicted to be 80% unpaired
- 2 Shape data suggest  $i$  is only 70% unpaired
- 3 Pseudo-energy push towards even higher unpaired probability

Zarringhalam & Clote suggest adding a pseudo energy for structure  $\pi$ , given probability  $q_i$  (from measurement) that pos  $i$  is unpaired:

$$\Delta G_k(\pi) = \sum_{i=1}^n \beta |\pi_i - q_i|, \quad \pi_i = 1 \text{ if } i \text{ unpaired, } 0 \text{ if paired}$$

This is *guaranteed* to always bring the ensemble closer to the measurement.

Requires a model to convert reactivities  $r_i$  into a probability to be unpaired  $q_i$

## Washietl Approach

- Both  $\vec{q}$  (measurement) and NN energies are have errors.
- Predict the probability  $p_i$  that pos  $i$  remains unpaired.  
From this compute the discrepancy between measurement and prediction  $\|\vec{p} - \vec{q}\|$ .
- **Task:** Find a pseudo-energy that is (i) small and (ii) minimizes the discrepancy between prediction and data.  
Compute energy correction  $\epsilon_\mu$  that minimize

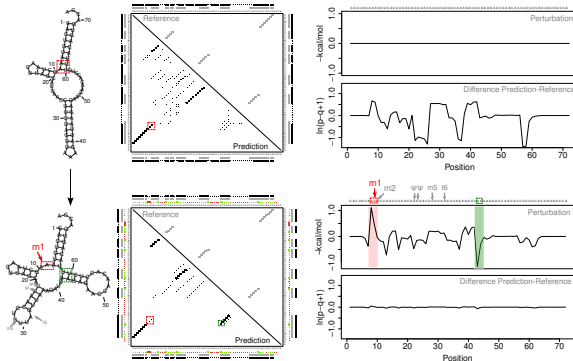
$$F(\vec{\epsilon}) = \sum_{\mu} \frac{\epsilon_{\mu}^2}{\tau_{\mu}^2} + \sum_{i=1}^n \frac{1}{\sigma_i^2} (p_i(\vec{\epsilon}) - q_i)^2$$

$\sigma$  and  $\tau$  encode our trust in the energy parameters and experimental data.  
Ensemble based – does not assume a single structure

# Making use of the Perturbation Vector

Example: tRNA modifications

- Human mitochondrial tRNA-Lys does not fold correctly *in vitro*
- Methylation at position 9 restores folding to the cloverleaf shape



## Probabilistic Approach

Let  $P(r|\pi)$  be the likelihood of observing the reactivity vector  $r$  given structure  $\pi$  on sequence  $x$ . The posterior probability of structure  $\pi$  is

$$P(\pi|r, x) = \frac{P(r|\pi, x) \cdot P(\pi|x)}{p(r)}.$$

where the prior  $P(\pi|x)$  is the Boltzmann probability of  $\pi$   
Assuming that  $r_i$  only depends on the structure state  $\pi_i$  at pos  $i$ ,  
maximizing  $P(\pi|r, x)$  is equivalent to adding a pseudo energy

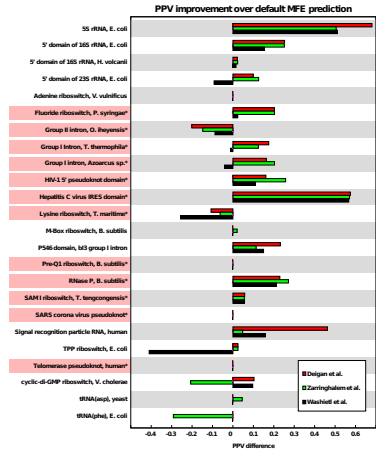
$$\Delta G(\pi_i, i) = -RT \log P(r_i|\pi_i)$$

- First proposed by Sean Eddy
- We're free choose which structure states to consider  
e.g. three state model  $\pi_i \in \{\text{unpaired, stacked, helix end}\}$
- Still assumes that only a single structure  $\pi$  is present



# Probing Data in ViennaRNA

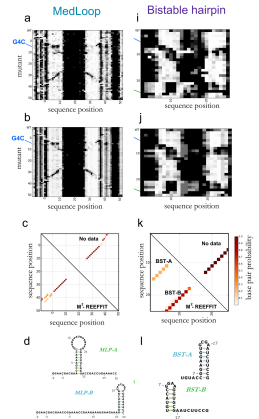
- All four pseudo-energy methods supported in ViennaRNA
- Probing data don't always improve prediction



# Mutate-and-Map

Probing looks at single positions, how to learn about **base pairs**?

- Mutate every position
- When mutation at  $i$  breaks a pair  $(i, j)$ , reactivity of the partner  $j$  changes!
- $\rightarrow$  direct information about pairs  $(i, j)$
- sometimes mutations cause complete refolding
- can identify alternative structures



Cordero, . . . , Das (2014)

# Structure Ensembles

What if our RNA can form multiple structures?

- Measured reactivity is an average over ensemble

$$r = \sum_{\pi} p(\pi) \cdot r(\pi)$$

Possible solutions:

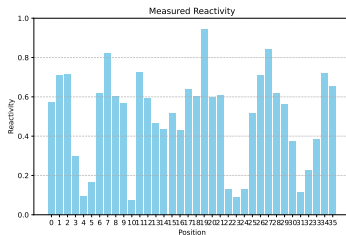
- With a set of candidate structures: estimate  $p(\pi)$ , minimize discrepancy between observed and expected reactivity
- Need to guess candidates correctly
- Separate reads into clusters corresponding to different structures
- Assumption: Each read is produced by one structure in the ensemble  
All mutations in a read derive from the same structure

# Structure Ensembles

Two structure example:

```
(((((....))))).(((....))))
GAAAGCC-G-GCUUUU--C-CCG-C-CAU-GGCUGG
GAAAGC-UG-GCUUUUG-C-CCGGCU-AUGGGCUGG
GAAAGC-UGUGCUUUUGCCACCGGCUCAUG-GCUGG
GAAAGC--GUGCUUUUG--ACCGGCUCA-GGGCUGG
GAAAGC-U-UGCUUUUGCCACCGGCUCA--G-CUGG
GAAAGCCUGUGCUUUU-CC-CCGGCUC--GGGCUGG
GAAAGCCUGUGC-UUUGCCACCGGCUC--G-GCUGG
GAAAGC--UGCUUUUG-CACC-GCUAUGGGCUGG
GAA-GCCUGUGCUUU---ACCG-CUC-UGGGCUGG
GA--GCC-GUGCUUUUG-C-CCGGCUC AUGGGCUGG
```

```
...(((((((....((((....)))..)))))))).
GAAAGCCUGU-CUUUUGCCA--GG-UCAUGGGCU-G
G-AAG-CUGUGCUUUUGCC-CCGG-U-AUGGGCU-G
---AGCCUGUGCUUUUGCCAC-GGCUCAUGGGCUGG
GA-AGCCUGUG-UUUUGCCACCGGC-CAUGGGCUG-
GAAAGCCU-U-C-UU-GCCA--GGCUC AUGGGCUGG
-AAAGCCUGUGCUUUU-CCACCGGC-CAUGGGCU-G
GA-AGCCUGUGC-U-UG-CA-CGGCU-AUGGG--GG
GA-AGCCUGUGCUUUUG-CACCGGCUCAUG-GCU-G
GAAAGCCUGUGCUUU-GCCACCGGCUCAUGGGCUGG
-AAAGCCUGUGCUUUUGCCAC-GGCU-A-G-G-U-G
```



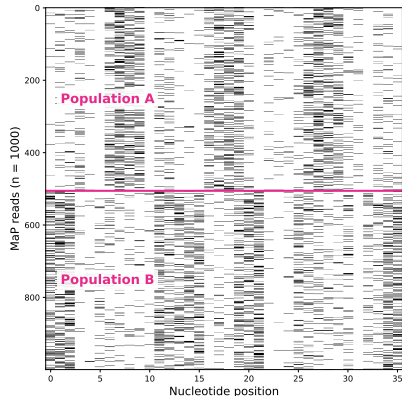
# Structure Ensembles

Two structure example:

```
(((((.....))))).(((.....))))
GAAAGCC-G-GCUUUU--C-CCG-C-CAU-GGCUGG
GAAAGC-UG-GCUUUUG-C-CCGGCU-AUGGGCUGG
GAAAGC-UGUGC UUUGCCACCGGCUCAUG-GCUGG
GAAAGC--GUGC UUUG--ACCGGCUCA-GGGCUGG
GAAAGC-U-UGC UUUGCCACCGGCUCA--G-CUGG
GAAAGCCUGUGC UUUG-CC-CCGGCUC--GGGCUGG
GAAAGCCUGUGC-UUUGCCACCGGCUC--G-GCUGG
GAAAGC--UGC UUUG-CACC-GCUC AUGGGCUGG
GAA-GCCUGUGC UUU----ACCG-CUC-UGGGCUGG
GA--GCC-GUGC UUUG-C-CCGGCUC AUGGGCUGG
```

```
...((((((((.....((.....)).))))))..
GAAAGCCUGU-CUUUUGCCA--GG-UCAUGGGCU-G
G-AAG-CUGUGC UUUGCC-CCGG-U-AUGGGCU-G
---AGCCUGUGC UUUGCCAC-GGCUCAUGGGCUGG
GA-AGCCUGUG-UUUUGCCACCGGC-CAUGGGCUG-
GAAAGCCU-U-C-UU-GCCA--GGCUC AUGGGCUGG
-AAAGCCUGUGC UUUG-CCACCGGC-CAUGGGCU-G
GA-AGCCUGUGC-U-UG-CA-CGGCU-AUGGG--GG
GA-AGCCUGUGC UUUG-CACCGGCUCAUG-GCU-G
GAAAGCCUGUGC UUUG-GCCACCGGCUCAUGGGCUGG
-AAAGCCUGUGC UUUGCCAC-GGCU-A-G-G-U-G
```

- Reads from the same structure exhibit similar mutation patterns
- Reads can be separated into clusters belonging to different structures



# Methods for Ensemble Deconvolution

Several methods exist to deconvolute reads

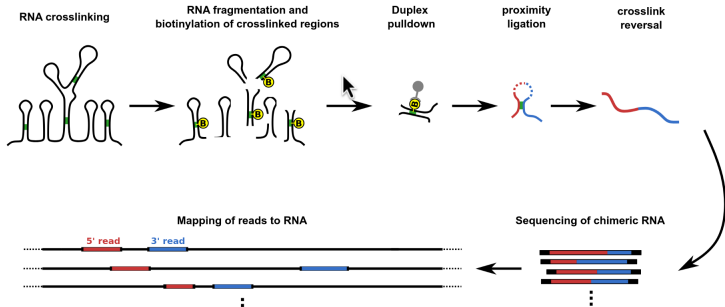
Method	Clustering algorithm	Number of clusters
DREEM	Expectation-Maximization	User specified
DRACO	Spectral Clustering	Automatic
DANCE-MaP	Expectation-Maximization	Automatic

After deconvolution the structure corresponding to each cluster is predicted separately

In the ideal case long-range tertiary interactions can be detected by correlation between sites

# RNA Crosslinking

RNA crosslinking can directly detect RNA-RNA interactions



- Psoralen induced crosslinking and pulldown
- → chimeric reads corresponding to two interacting regions
- Should give information on (hard to predict) long-range base pairs

# RNA Crosslinking

- Ideal for detecting RNA-RNA interaction (read-pair from two different RNAs)
- Challenges:
  - No nucleotide resolution:  
Interaction could be anywhere between the regions
  - Cross-linking only implies that regions are closed, not base paired
  - High noise:  
Many reads do **not** correspond to true interactions  
In read-pairs from human 18S/28S rRNA, more than 50% false positives

Not widely used yet for secondary structure determination  
DRACO and other programs can combine cross-linking and  
SHAPE-Map data in a single analysis



## Take Home Messages

- Chemical probing is a fast and inexpensive
- Can significantly improve structure prediction
- Probing data are noisy and differ in quality
- Probing signal is affected by other factors
  - accessibility of a site in 3D structure
  - non-canonical base pairs
  - tertiary interactions
- Structure ensembles complicate analysis  
More reads and more mutations per read needed for deconvolution